

EXERCISE 20

CALL TARGET ANALYSIS REVIEW

Write your name and answer the following on a piece of paper

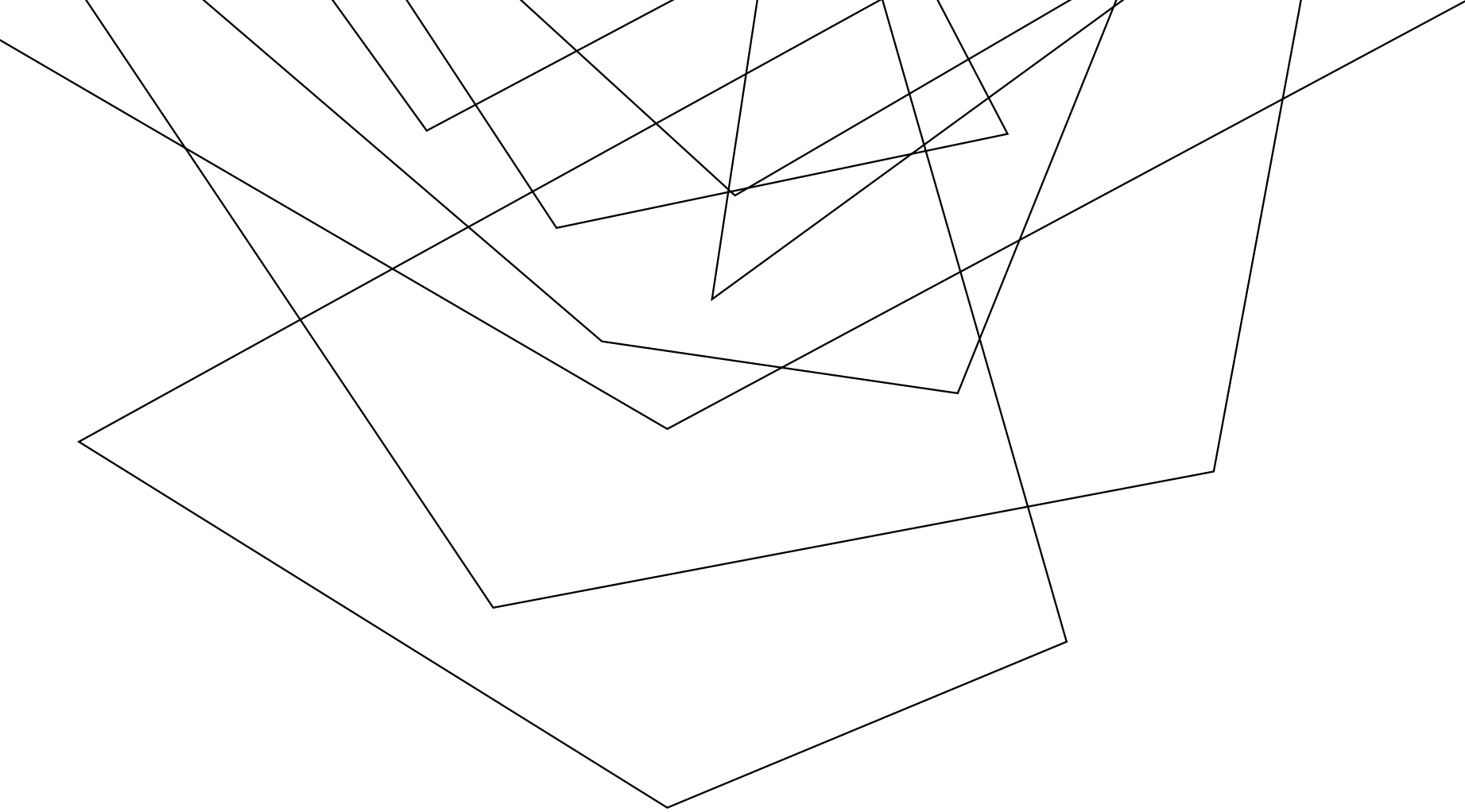
Draw the call graph of the following program:

```
1: class SupClass{
2: public:
3:     virtual int fun(SupClass * in){
4:         in->fun();
5:     }
6: };
7:
8: class SubA : public SupClass {
9:     virtual int fun(SupClass * in){
10:         in->fun();
11:     }
12: };
13: class SubB : public SupClass {
14:     virtual int fun(SupClass * in){
15:         in->fun();
16:     }
17: };
18: int main(){
19:     SupClass * s = new SubA();
20:     s->fun();
21: }
```

EXERCISE 20 SOLUTION
CALL TARGET ANALYSIS REVIEW



**ADMINISTRIVIA
AND
ANNOUNCEMENTS**



POINTS-TO ANALYSIS

EECS 677: Software Security Evaluation

Drew Davidson

LAST TIME: CALL TARGET ANALYSIS

REVIEW: LAST LECTURE

DETERMINE WHERE A (POSSIBLE INDIRECT)
CALL MIGHT GO

Simplistic

- Class Hierarchy Analysis

More Precise (but incomplete)

- Rapid Type Analysis (RTA and its elaborations)

Even more precise (but expensive)

- Value Type Analysis (VTA)

```
1: class SupClass{
2: public:
3:     virtual int fun(SupClass * in){
4:         in->fun();
5:     }
6: };
7:
8: class SubA : public SupClass {
9:     virtual int fun(SupClass * in){
10:         in->fun();
11:     }
12: };
13: class SubB : public SupClass {
14:     virtual int fun(SupClass * in){
15:         in->fun();
16:     }
17: };
18: int main(){
19:     SupClass * s = new SubA();
20:     s->fun();
21: }
```

LAST TIME: CALL TARGET ANALYSIS

REVIEW: LAST LECTURE

INDIRECT CALLS COME FROM...

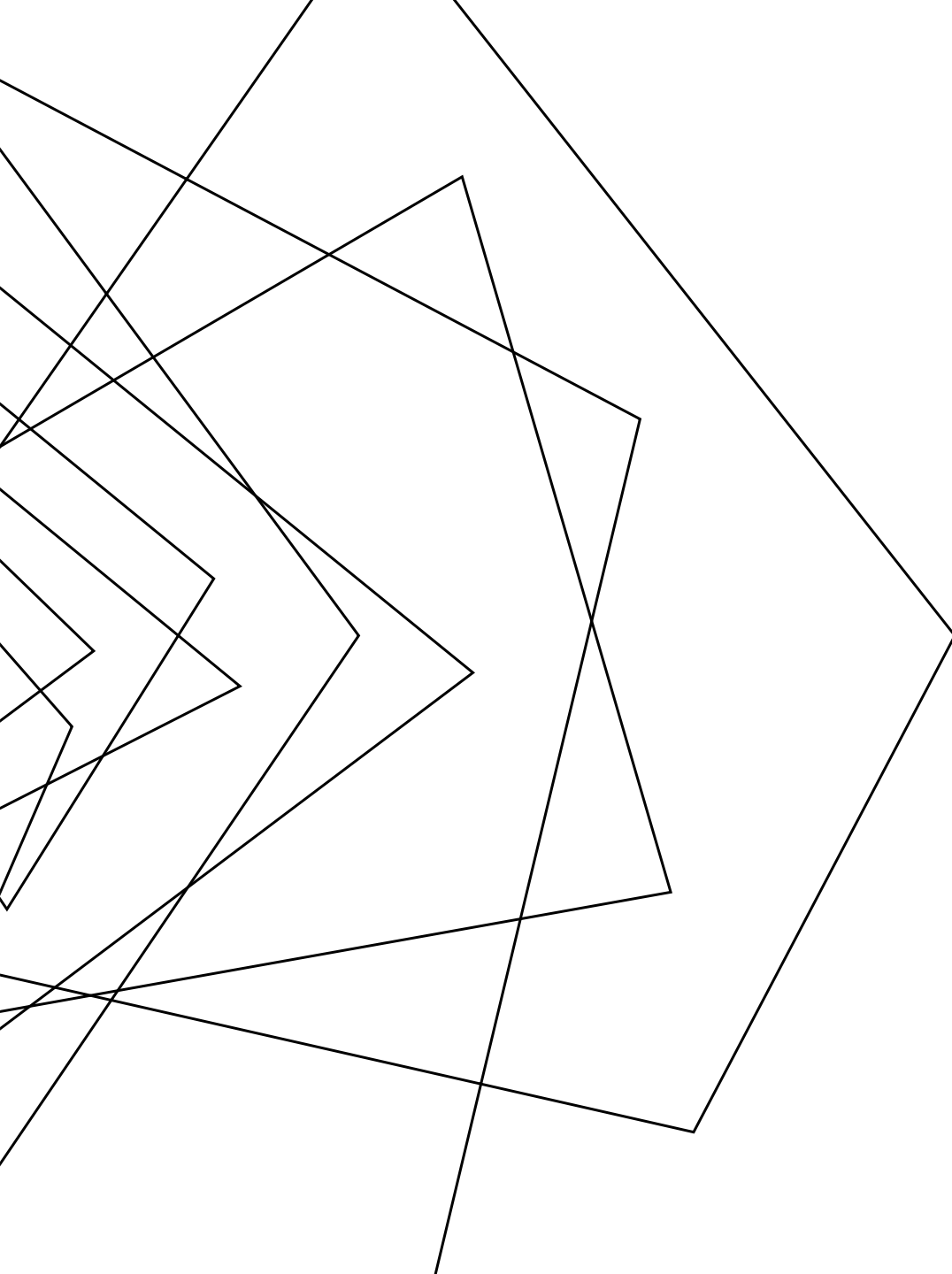
Dynamic Dispatch

- Virtual functions / Superclass inheritance

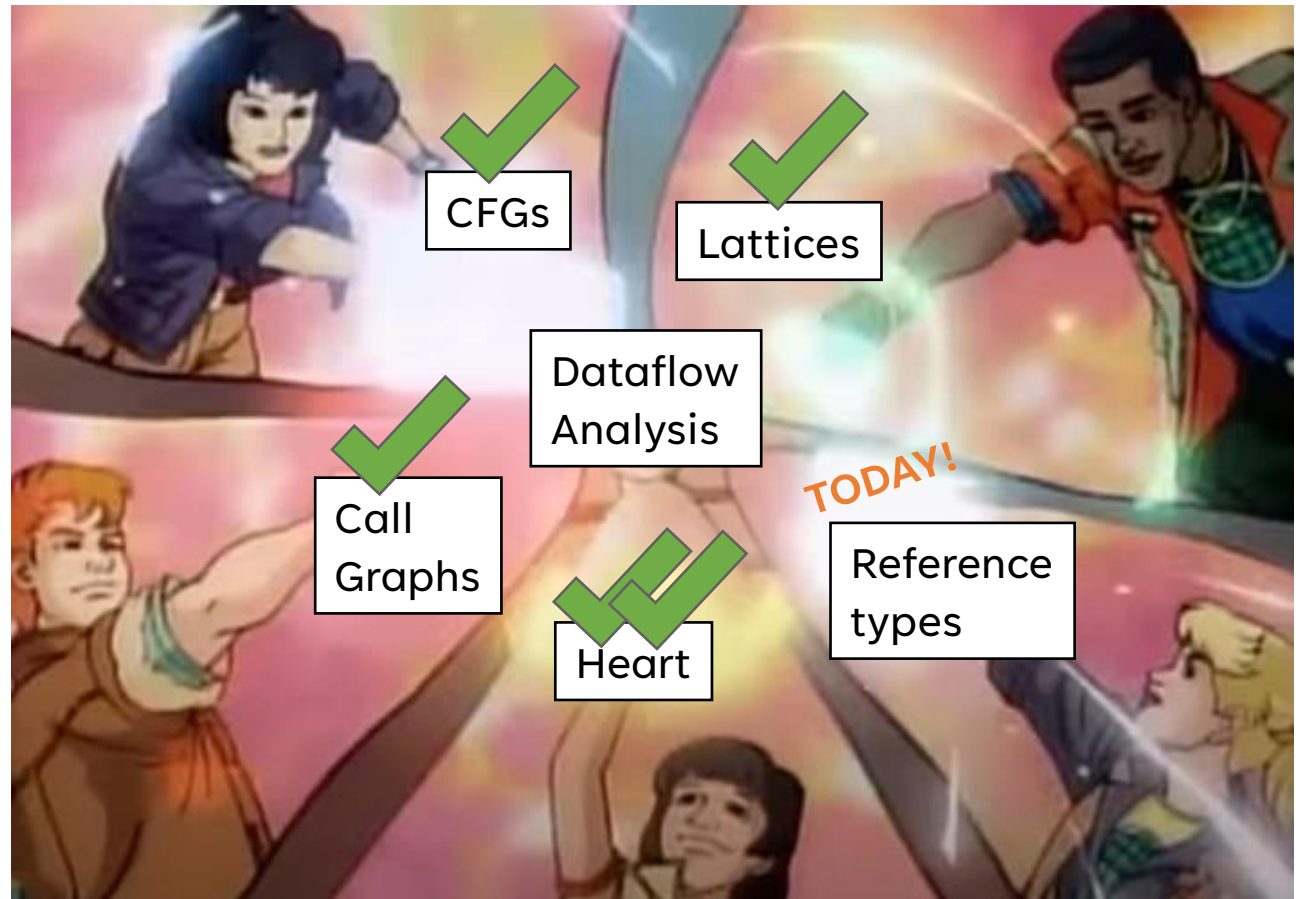
First-class functions

- Function pointers

```
1: int foo(char a) { return 1; }
2: int bar(char a) { return 2; }
3:
4: int main(int argc)
5: {
6:     int (*fun_ptr)(char) = &foo;
7:
8:     if (argc == 2) {
9:         fun_ptr = &bar;
10:    }
11:
12:    (*fun_ptr)('!');
13:
14: }
```

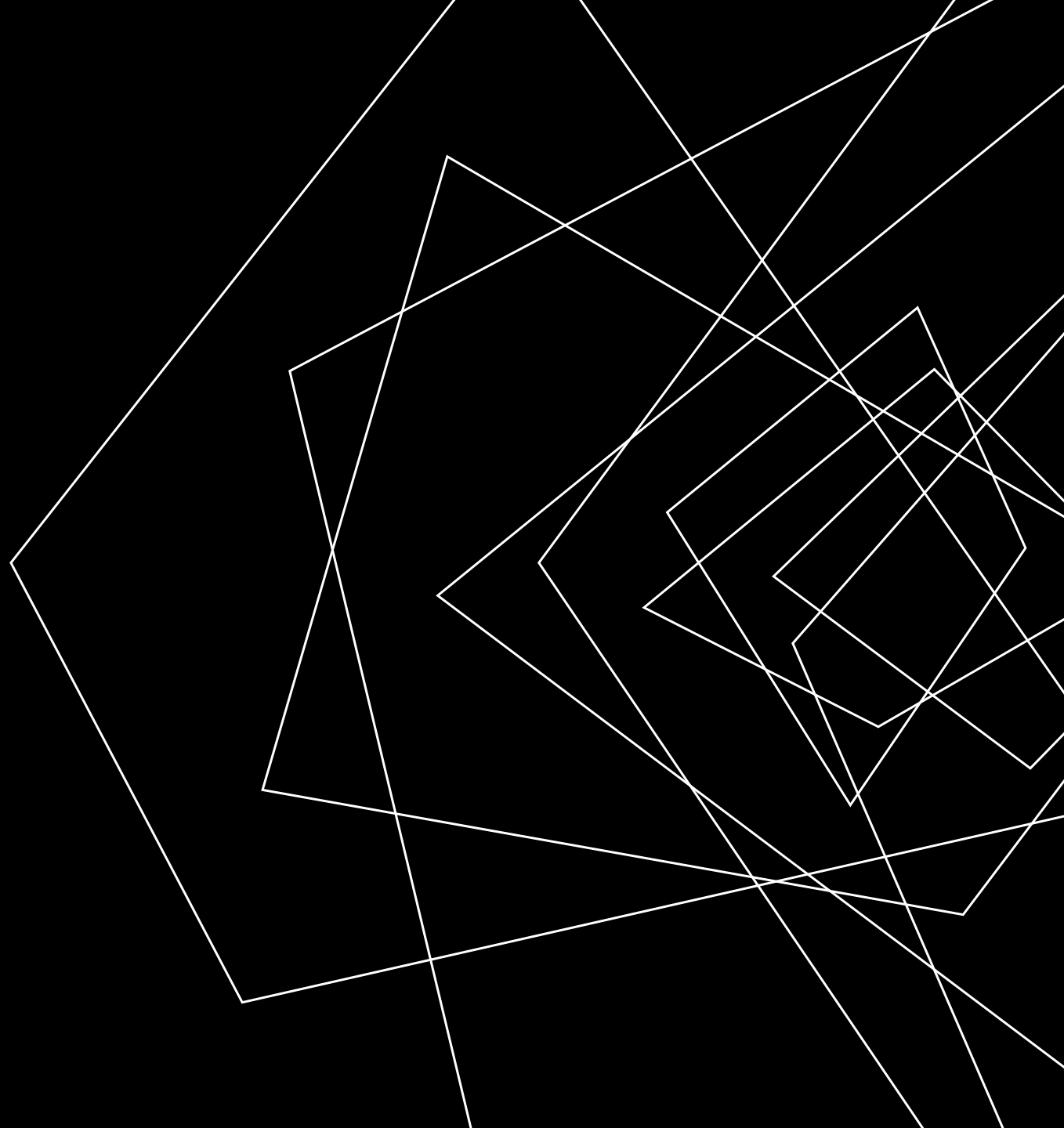


CLASS PROGRESS



LECTURE OUTLINE

- Pointers
- Andersen's Analysis
- Steensgard's Analysis



REFERENCE TYPES

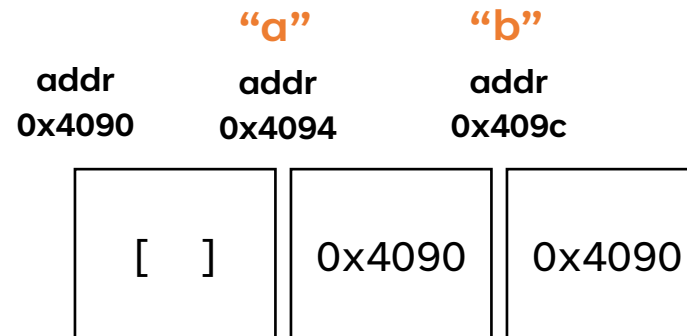
THINKING ABOUT POINTERS

MULTIPLE NAMES BOUND TO THE SAME “LOCATION”

We will sometimes say...

X and Y are “aliases”

X and Y “refer to the same value”



REFERENCE TYPES

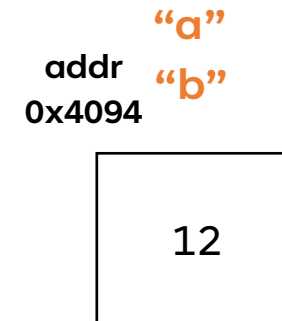
THINKING ABOUT POINTERS

MULTIPLE NAMES BOUND TO THE SAME LOCATION

We will sometimes say...

X and Y are “aliases”

X and Y “refer to the same value”



HUGELY IMPORTANT FOR DATAFLOW ANALYSIS

Cause a data leak through an alias

Change control flow through an alias

$a = \text{SOURCE}()$
 $\text{SINK}(b)$

NOT JUST A C LANGUAGE THING!

THINKING ABOUT POINTERS

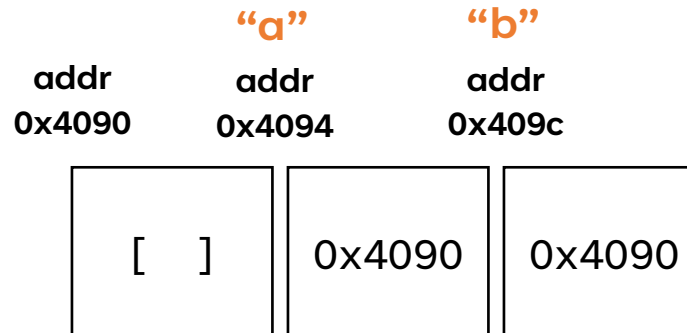
PYTHON

```

1: a = []
2: b = a
3: b.append(1)
4: print(a)

```

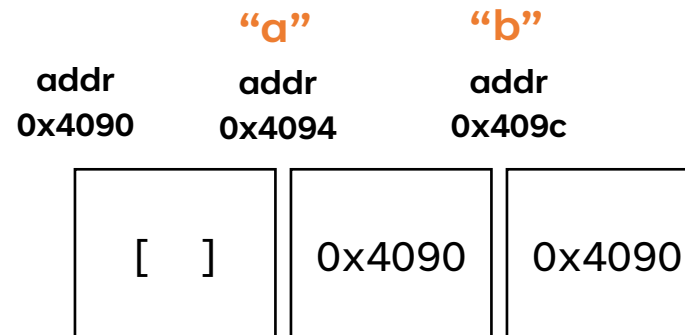
Line 4 prints “[1]”
Even though there is no a.append !



POINTERS: A SPECIAL REFERENCE TYPE

THINKING ABOUT POINTERS

```
1: int main(int argc)
2: {
3:     int a = 1;
4:     int * b = &a;
5:     int * c;
6:     int * d;
7:     c = &a;
8:     *c = 2;
9:     *d = 3;
10: }
```

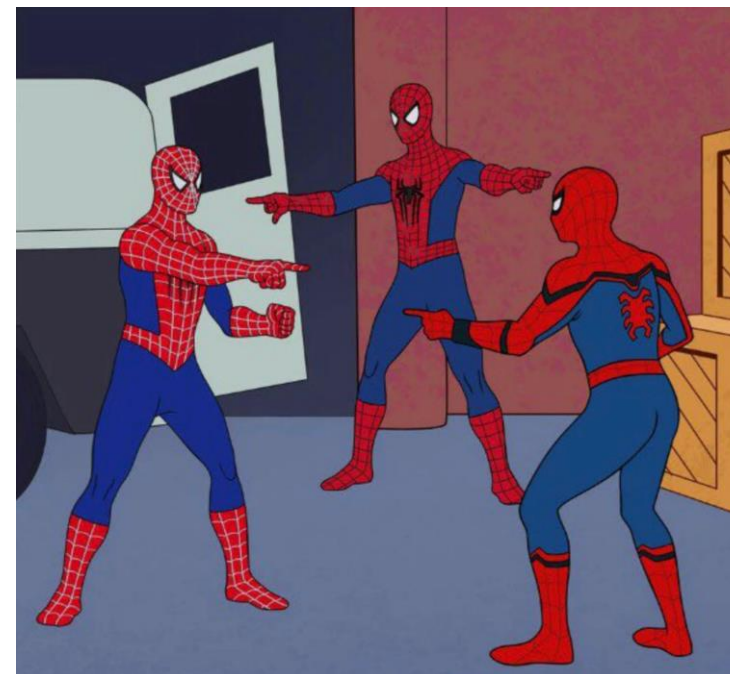


POINTS-TO ANALYSIS

THINKING ABOUT POINTERS

THE FORMAL ANALYSIS TO DETERMINE IF
BINDINGS POINT TO THE SAME LOCATION

```
1: int main(int argc)
2: {
3:     int a = 1;
4:     int * b = &a;
5:     int * c;
6:     int * d;
7:     c = &a;
8:     *c = 2;
9:     *d = 3;
10: }
```



Who points to who?

I know what you're thinking...

“THIS GUY HAS ONE TRICK” – YOU, MAYBE

THINKING ABOUT POINTERS

Another flow-sensitive lattice saturation algorithm?!

No!



MAY-POINT VS MUST-POINT

THINKING ABOUT POINTERS

MAY-POINT(P)

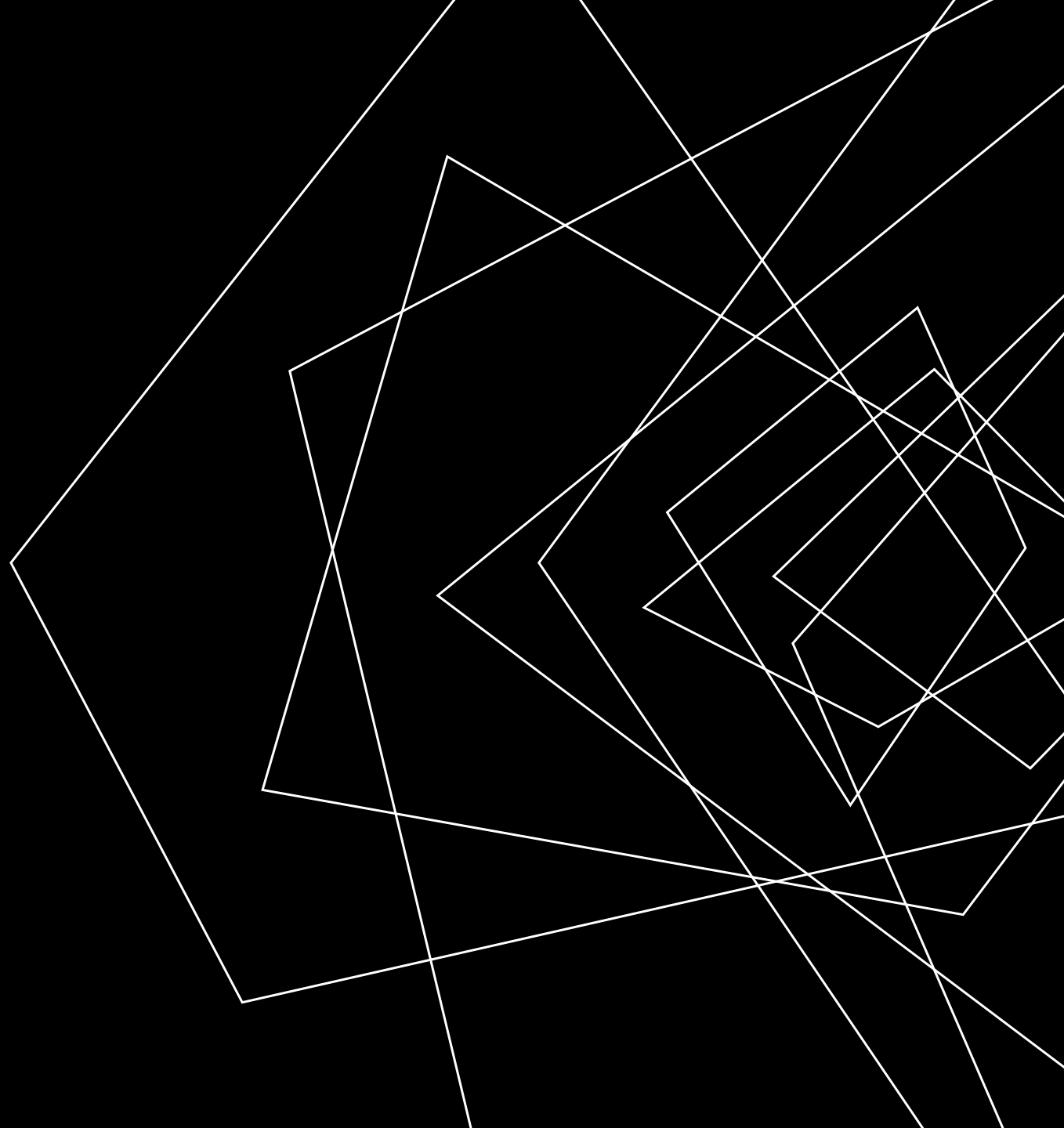
The set of locations to which p **might** refer

MUST-POINT(P)

The set of locations to which p **must** refer

LECTURE OUTLINE

- May-point v Must-point
- Andersen's Analysis
- Steensgard's Analysis



SUBSET CONSTRAINTS

ANDERSEN'S ANALYSIS

A FLOW-INSENSITIVE ALGORITHM

Each statement adds a constraint over the points-to sets

End up with a (solvable) system of constraints

Program

`p = &a;`

`q = p;`

`p = &b;`

`r = p;`

SUBSET CONSTRAINTS

ANDERSEN'S ANALYSIS

Constraint type	Assignment	Constraint	Meaning
Base	$a = \&b$	$a \supseteq \{b\}$	$\text{loc}(b) \in \text{pts}(a)$
Simple	$a = b$	$a \supseteq b$	$\text{pts}(a) \supseteq \text{pts}(b)$
Complex	$a = *b$	$a \supseteq *b$	$\forall v \in \text{pts}(b). \text{pts}(a) \supseteq \text{pts}(v)$
Complex	$*a = b$	$*a \supseteq b$	$\forall v \in \text{pts}(a). \text{pts}(v) \supseteq \text{pts}(b)$

SOLVING SUBSET CONSTRAINTS

ANDERSEN'S ANALYSIS

APPLY CONSTRAINT RULES UNTIL SATURATION

Each statement adds a constraint over the points-to sets

End up with a (solvable) system of constraints

<u>Program</u>	<u>Constraints</u>	<u>Initial</u>	<u>Final</u>
p = &a;	$p \supseteq \{a\}$	$\text{pts}(p) = \emptyset$	$\text{pts}(p) = \{a,b\}$
q = p;	$q \supseteq p$	$\text{pts}(q) = \emptyset$	$\text{pts}(q) = \{a,b\}$
p = &b;	$p \supseteq \{b\}$	$\text{pts}(r) = \emptyset$	$\text{pts}(r) = \{a,b\}$
r = p;	$r \supseteq p$	$\text{pts}(a) = \emptyset$	$\text{pts}(a) = \emptyset$
		$\text{pts}(b) = \emptyset$	$\text{pts}(b) = \emptyset$

ANOTHER EXAMPLE

ANDERSEN'S ANALYSIS

A FLOW-INSENSITIVE ALGORITHM

Each statement adds a constraint over the points-to sets

End up with a (solvable) system of constraints

<u>Program</u>	<u>Constraints</u>	<u>Initial</u>	<u>Final</u>
p = &a	$p \supseteq \{a\}$	pts(p) = { a }	pts(p) = { a }
q = &b	$q \supseteq \{b\}$	pts(q) = { b }	pts(q) = { b }
*p = q;	$*p \supseteq q$	pts(r) = { c }	pts(r) = { c }
r = &c;	$r \supseteq \{c\}$	pts(s) = \emptyset	pts(s) = { a }
s = p;	$s \supseteq p$	pts(t) = \emptyset	pts(t) = { b, c }
t = *p;	$t \supseteq *p$	pts(a) = \emptyset	pts(a) = { b, c }
*s = r;	$*s \supseteq r$	pts(b) = \emptyset	pts(b) = \emptyset
		pts(c) = \emptyset	pts(c) = \emptyset

SOLVING CONSTRAINTS AS REACHABILITY

ANDERSEN'S ANALYSIS

Graph closure on the subset relation

Assgmt.	Constraint	Meaning	Edge
$a = \&b$	$a \supseteq \{b\}$	$b \in \text{pts}(a)$	no edge
$a = b$	$a \supseteq b$	$\text{pts}(a) \supseteq \text{pts}(b)$	$b \rightarrow a$
$a = *b$	$a \supseteq *b$	$\forall v \in \text{pts}(b). \text{pts}(a) \supseteq \text{pts}(v)$	no edge
$*a = b$	$*a \supseteq b$	$\forall v \in \text{pts}(a). \text{pts}(v) \supseteq \text{pts}(b)$	no edge

ANDERSEN'S ALGORITHM: REACHABILITY

REVIEW: LAST LECTURE

REACHABILITY FORMULATION

Step 1: List pointer-related operations

Step 2: Saturate points-to graph

Step 3: Compute node reachability

Assignment	Constraint	Meaning
$a = \&b$	$a \supseteq \{b\}$	$\text{loc}(b) \in \text{pts}(a)$
$a = b$	$a \supseteq b$	$\text{pts}(a) \supseteq \text{pts}(b)$
$a = *b$	$a \supseteq *b$	$\forall v \in \text{pts}(b). \text{pts}(a) \supseteq \text{pts}(v)$
$*a = b$	$*a \supseteq b$	$\forall v \in \text{pts}(a). \text{pts}(v) \supseteq \text{pts}(b)$

Program

$p = \&a$

$p = \&b$

$m = \&p;$

$r = *m;$

$q = \&c;$

$m = \&q$

Constraints

$p \supseteq \{a\}$

$p \supseteq \{b\}$

$m \supseteq \{p\}$

$r \supseteq *m$

$q \supseteq \{c\}$

$m \supseteq \{q\}$

Initial

$\text{pts}(a) = \{ \}$

$\text{pts}(b) = \{ \}$

$\text{pts}(m) = \{ \}$

$\text{pts}(p) = \{ \}$

$\text{pts}(q) = \{ \}$

$\text{pts}(r) = \{ \}$

Final

$\text{pts}(a) = \{ \}$

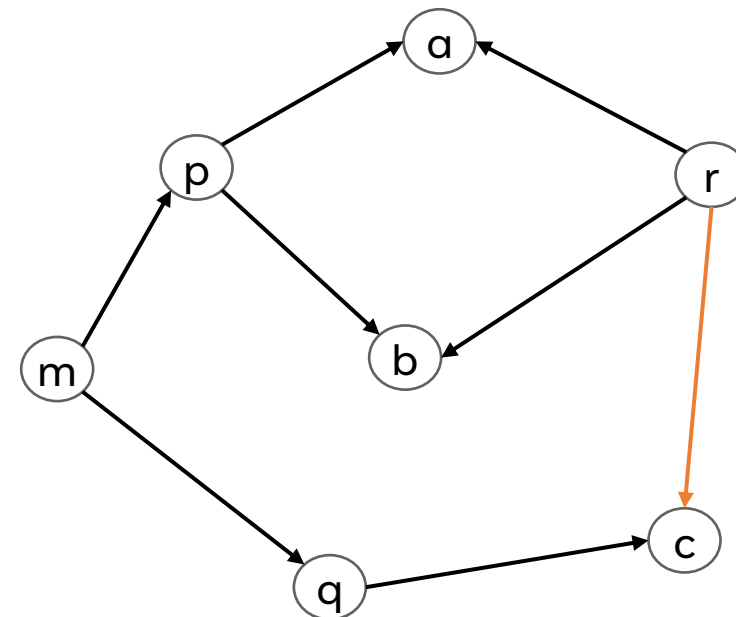
$\text{pts}(b) = \{ \}$

$\text{pts}(m) = \{ p, q \}$

$\text{pts}(p) = \{ a, b \}$

$\text{pts}(q) = \{ c \}$

$\text{pts}(r) = \{ a, b, c \}$



OVERHEAD

ANDERSEN'S ANALYSIS

WORST CASE: CUBIC TIME

That's not great!

OPTIMIZATION:

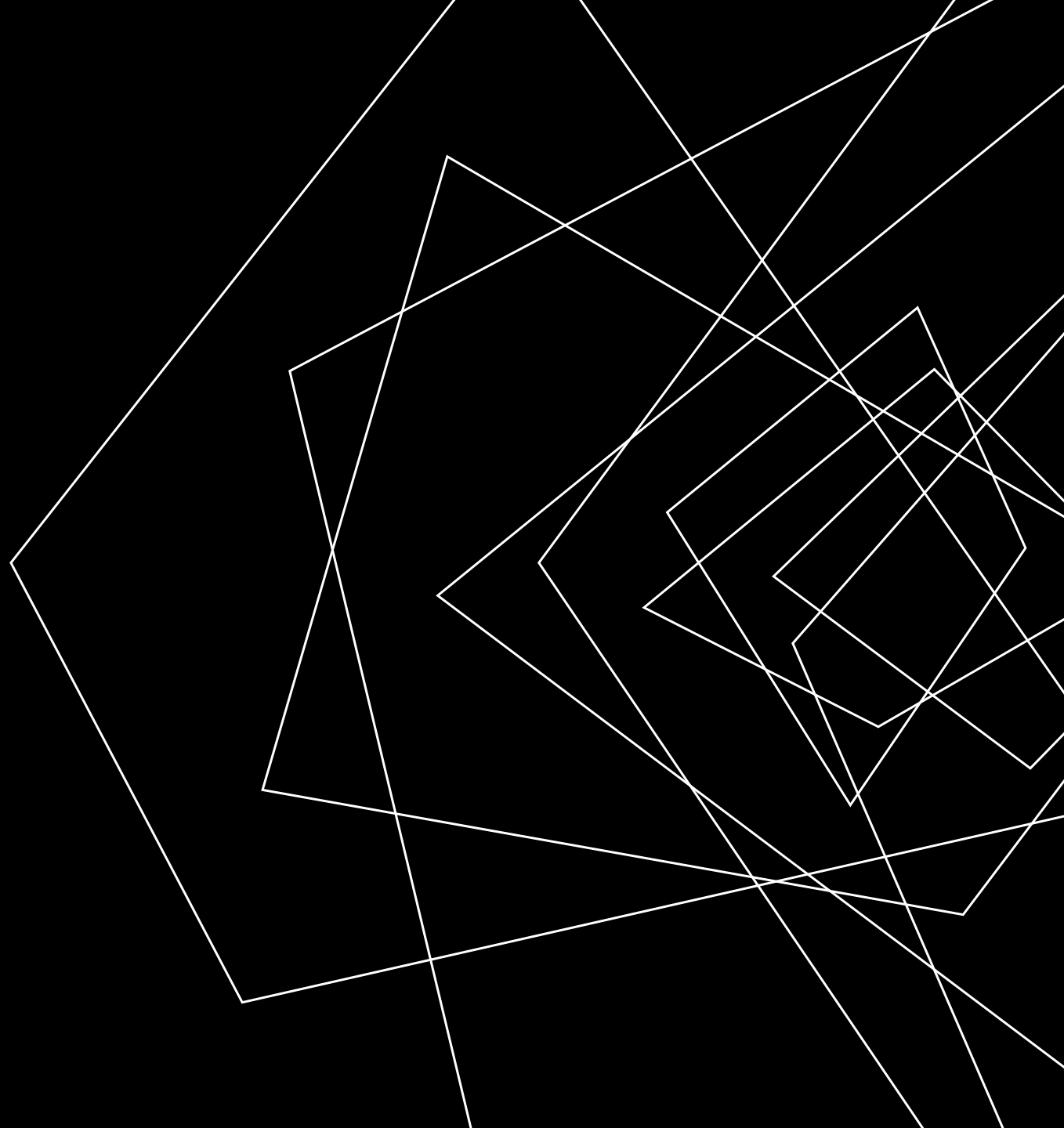
CYCLE ELIMINATION

Detect and collapse SCCs in the
points-to relation



LECTURE OUTLINE

- May-point v Must-point
- Andersen's Analysis
- Steensgard's Analysis



AN ALTERNATIVE APPROACH

STEENSGARD'S ANALYSIS

AIM FOR NEAR-LINEAR-TIME POINTS-TO ANALYSIS

Going to require us to reduce our search-space somewhat

INTUITION: EQUALITY CONSTRAINTS

Do away with the notion of subsets

STEENGARD'S ALGORITHM

AN EFFICIENT OVER-APPROXIMATION

IN PRACTICE

Step 1

List pointer-related operations

Step 2

equality

Induce set of ~~subset~~ constraints

Step 3

Solve system of constraints

REACHABILITY FORMULATION

Step 1

List pointer-related operations

Step 2

1-out

Saturate points-to graph

Step 3

Compute node reachability

Andersen's

Assignment	Constraint	Meaning
$a = \&b$	$a \supseteq \{b\}$	$\text{loc}(b) \in \text{pts}(a)$
$a = b$	$a \supseteq b$	$\text{pts}(a) \supseteq \text{pts}(b)$
$a = *b$	$a \supseteq *b$	$\forall v \in \text{pts}(b). \text{pts}(a) \supseteq \text{pts}(v)$
$*a = b$	$*a \supseteq b$	$\forall v \in \text{pts}(a). \text{pts}(v) \supseteq \text{pts}(b)$

Steengard's

Assignment	Constraint	Meaning
$a = \&b$	$a \supseteq \{b\}$	$\text{loc}(b) \in \text{pts}(a)$
$a = b$	$a = b$	$\text{pts}(a) = \text{pts}(b)$
$a = *b$	$a = *b$	$\forall v \in \text{pts}(b). \text{pts}(a) = \text{pts}(v)$
$*a = b$	$*a = b$	$\forall v \in \text{pts}(a). \text{pts}(v) = \text{pts}(b)$

EQUALITY CONSTRAINTS

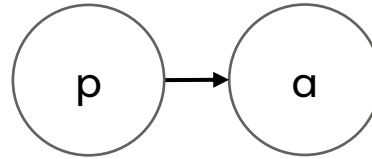
STEENSGARD'S ANALYSIS

Constraint type	Assignment	Constraint	Meaning
Base	$a = \&b$	$a \supseteq \{b\}$	$\text{loc}(b) \in \text{pts}(a)$
Simple	$a = b$	$a = b$	$\text{pts}(a) = \text{pts}(b)$
Complex	$a = *b$	$a = *b$	$\forall v \in \text{pts}(b). \text{pts}(a) = \text{pts}(v)$
Complex	$*a = b$	$*a = b$	$\forall v \in \text{pts}(a). \text{pts}(v) = \text{pts}(b)$

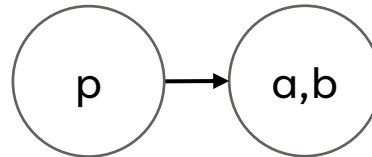
EQUALITY CONSTRAINTS

STEENSGARD'S ANALYSIS

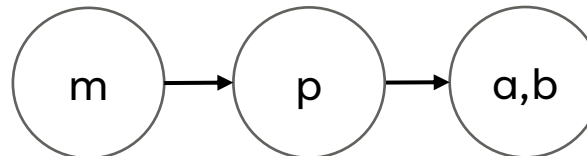
$p = \&a$



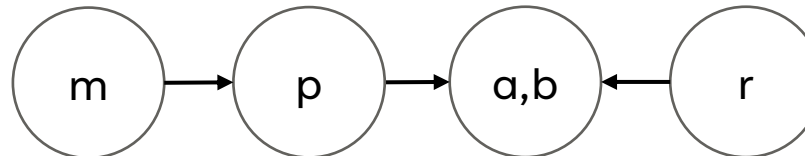
$p = \&b$



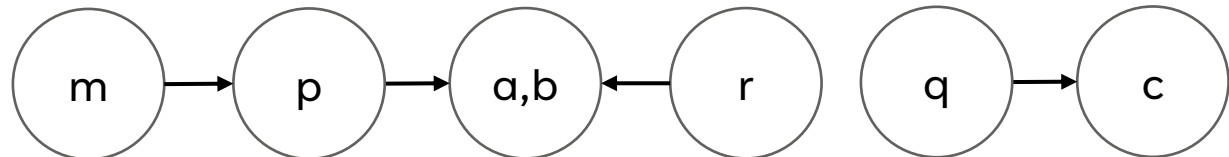
$m = \&p$



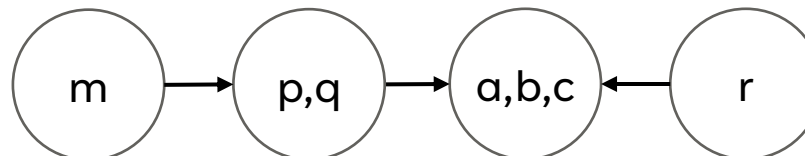
$r = *m$



$q = \&c$



$m = \&q$

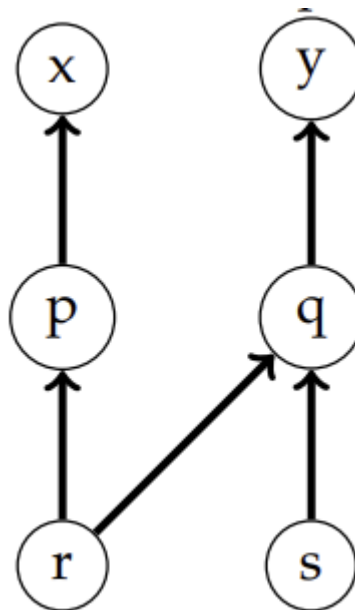


EQUALITY CONSTRAINTS

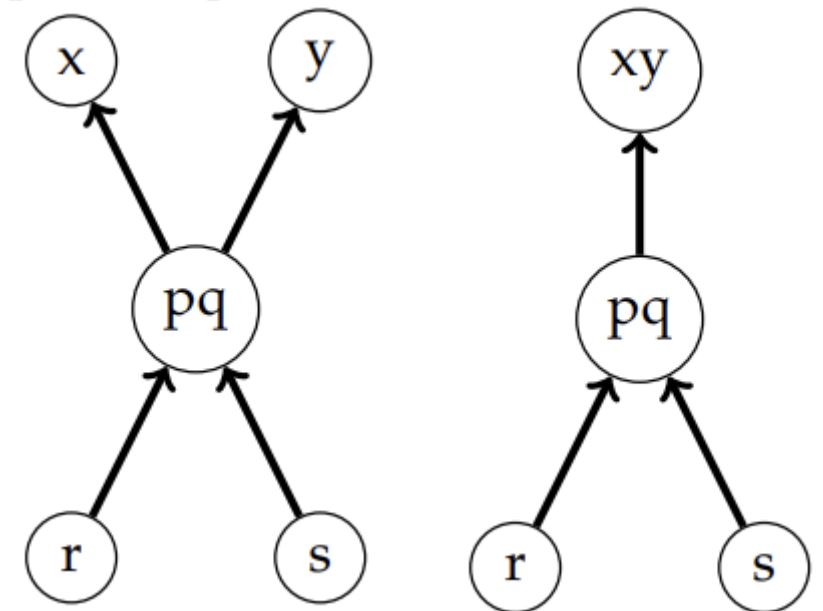
STEENSGARD'S ANALYSIS

1 : $p := \&x$
 2 : $r := \&p$
 3 : $q := \&y$
 4 : $s := \&q$
 5 : $r := s$

Andersen's



Steensgard's



WRAP-UP

