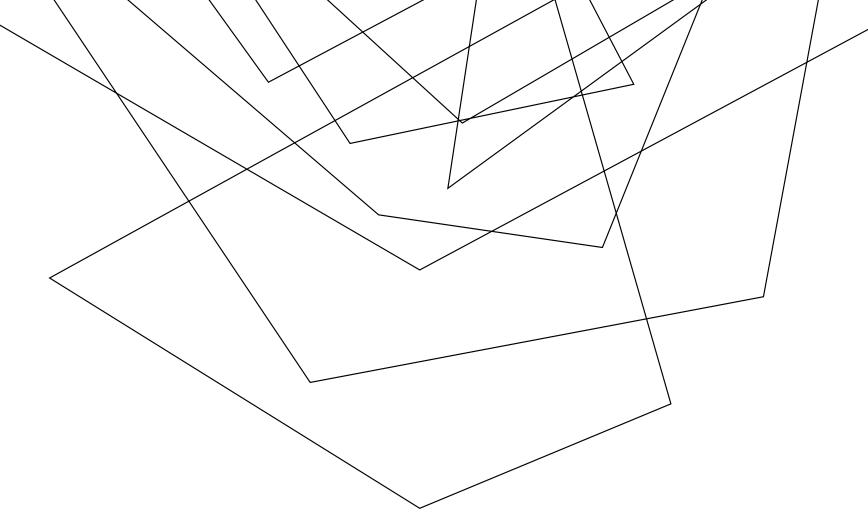
EXERCISE #7

MEMORY ATTACKS REVIEW

What is a script injection attack and why does the W $\otimes X$ defense defeat it?



COMPUTABILITY

EECS 677: Software Security Evaluation

Drew Davidson

ADMINISTRIVIA AND ANNOUNCEMENTS

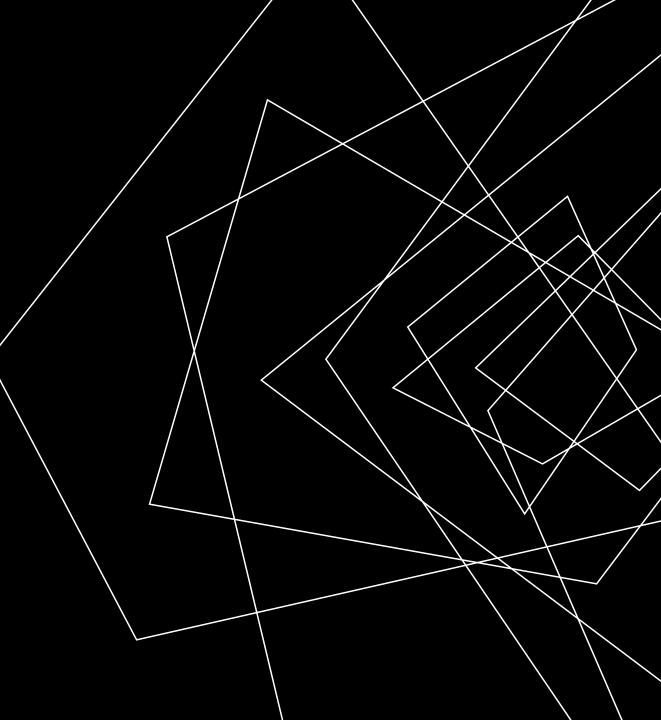
TODAY'S ROADMAP

Decidability

The Halting Problem

Type I/Type II Errors

Soundness / Completeness



THE LIMITS OF COMPUTATION

Computers! What <u>can't</u> they do?!

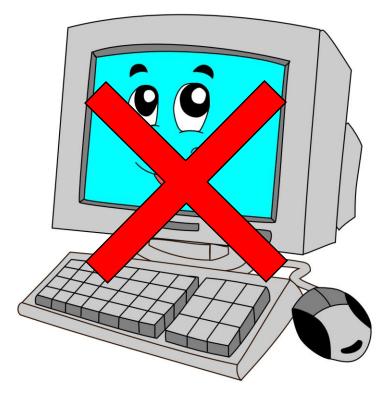
- As we begin our exploration of security evaluation, we care about this question for two reasons:
 - We need to know the capabilities of our analysis target
 - We need to know the capabilities of our analysis engine



THEORETICAL LIMITS OF COMPUTATION

Computability theory

- The study of what is computable
- Focused on abstractions for the sake of generalizability
 - Considers theoretical hardware, for example

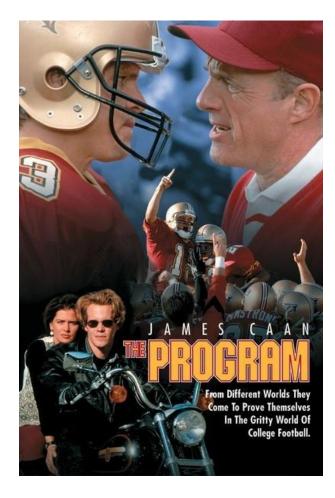


6

COMPUTATIONAL POWER

What is a program?

• A set of executable instructions



7

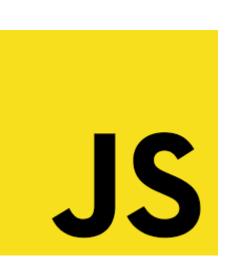
COMPUTATIONAL POWER

What is a program?

• A set of executable instructions

There are many formats for programs

- i.e. programming languages
- It would be nice to generalize what these programs can compute (without getting bogged down in syntax)







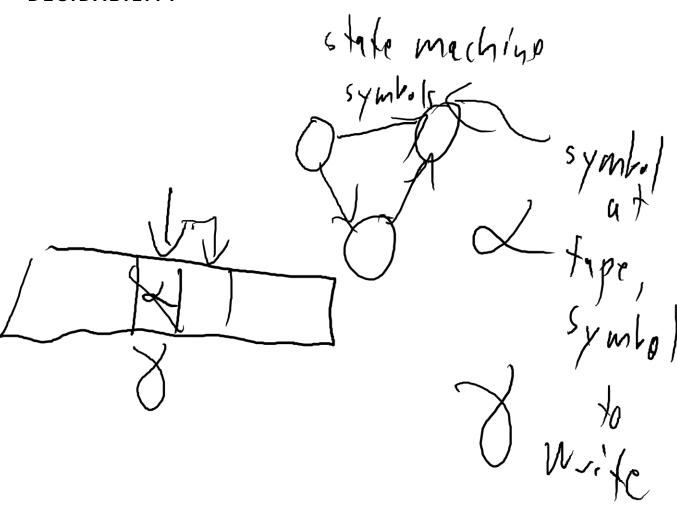


ABSTRACTING COMPUTATION

DECIDABILITY

Computability theory considers classes of expressiveness

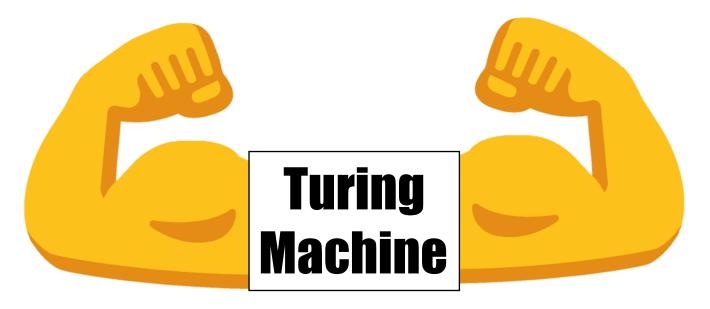
- Combinational logic
- Finite-state machines
- Pushdown automata
- Turing machines



CHURCH-TURING THESIS

Roughly: a function on the natural numbers can be calculated if and only if it is computable by a Turing machine

Practical Upshot: Turing machines are powerful!





Does everyone remember why we are doing this?

- We want to determine the power of our analysis target
- We want to determine the power of our analysis engine **Good news! Both are bounded by Turing computability**
- Next up: abstracting analysis itself



DECISION PROCEDURES

A little vocabulary:

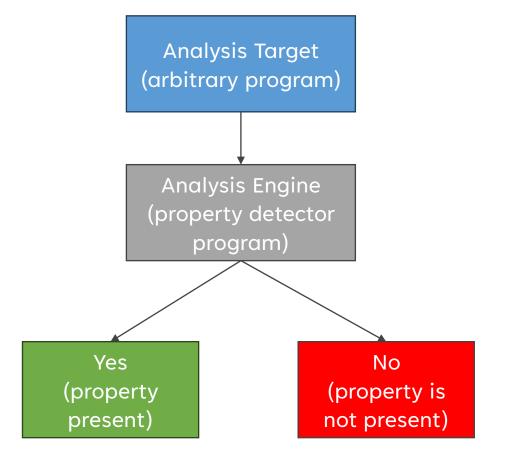
A **decision problem** is a computational question that can be solved with either a yes or a no. *Frequently,* we consider decision problems as detection of a property in a program

A decision procedure is a method for solving a decision problem that always yields the correct answer

If there is no decision procedure for a given decision problem, that decision problem is called **undecidable**

PROGRAM ANALYSIS AS DECISION PROCEDURE DECIDABILITY

Since a program is just a list of instructions, it is valid input to a decision procedure



STRONG GUARANTEES

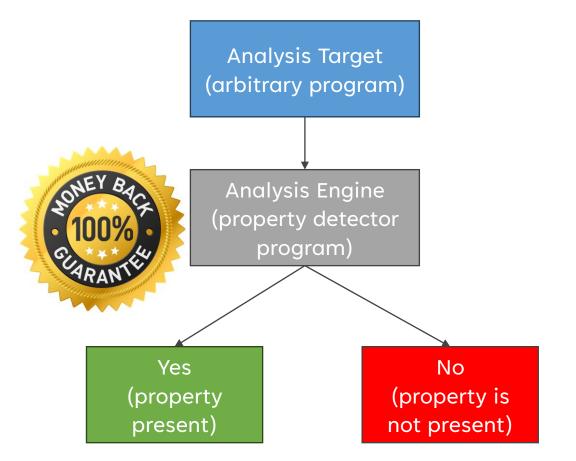
A decision procedure is a high bar

Guarantee that:

- The analysis engine accepts every program
- The analysis engine always returns an answer
- The answer returned is always correct

Rice's Theorem





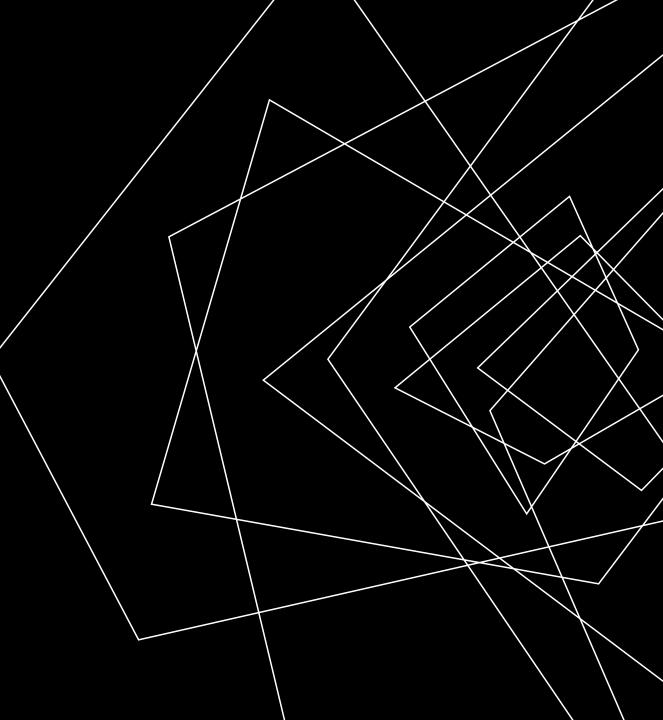
TODAY'S ROADMAP

Decidability

The Halting Problem

Type I/Type II Errors

Soundness / Completeness



STATING THE PROBLEM



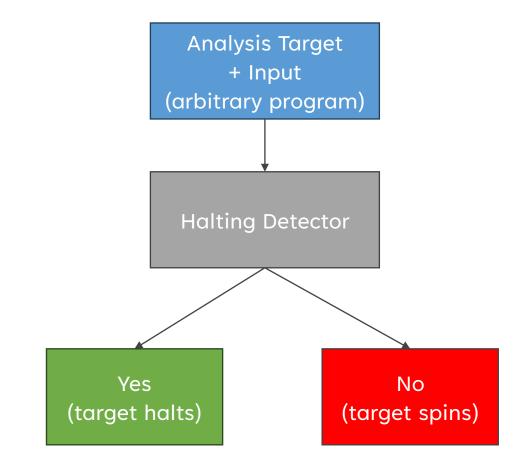
Given a description of a Turing machine and its initial input, determine whether the program, when executed on this input, ever halts (completes). The alternative is that it runs forever without halting

A HALTING DETECTOR

Given a description of a Turing machine and its initial input, determine whether the program, when executed on this input, ever halts (completes). The alternative is that it runs forever without halting

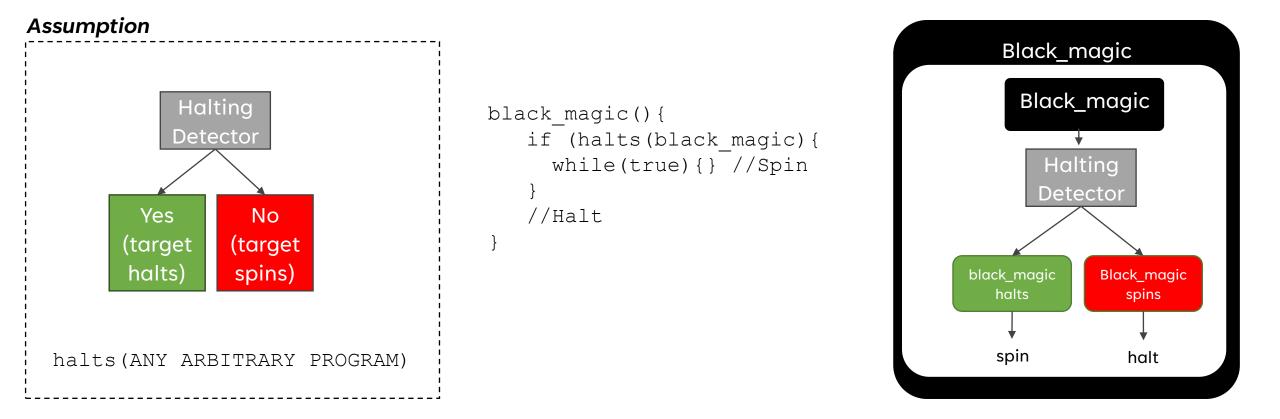
Is there a decision procedure for the halting problem?

- We'll sketch the proof outline that there is NOT
- Relies on a proof by contradiction



PROOF BY CONTRADICTION THE HALTING PROBLEM

Reductio ad absurdum – Assuming the premise has obviously incorrect consequences Here: assume there is a halting detector



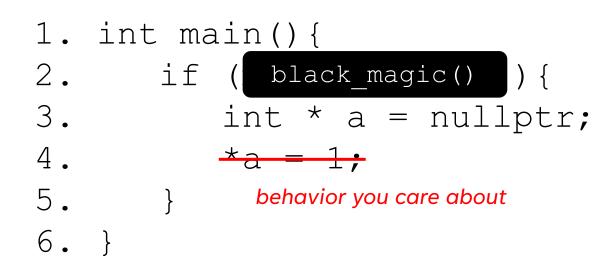
WHO CARES? THE HALTING PROBLEM

No halting decision procedure means no reachability decision procedure

This program crashes if and only if it reaches line 4, which depends on the result of a function call being true

RICE'S THEOREM

No halting decision procedure means no reachability decision procedure



Exhibits the behavior you care about

This program crashes if and only if it reaches line 4, which depends on the result of a function call being true

RICE'S THEOREM

"All non-trivial semantic properties of programs are undecidable"



LIMITATIONS OF RICE'S THEOREM

THE HALTING PROBLEM

Rice's Theorem is less catastrophic than you might expect for security:

- A decision procedure is a pretty high bar
- A Turing machine is actually not a perfect approximation of the computers we use!

Despite these limitations, it is widely accepted that program analysis is **always** approximate

- We can't be right all of the time
- We can choose what types of errors we make

TODAY'S ROADMAP

Decidability

The Halting Problem

Categorizing Program Analyses

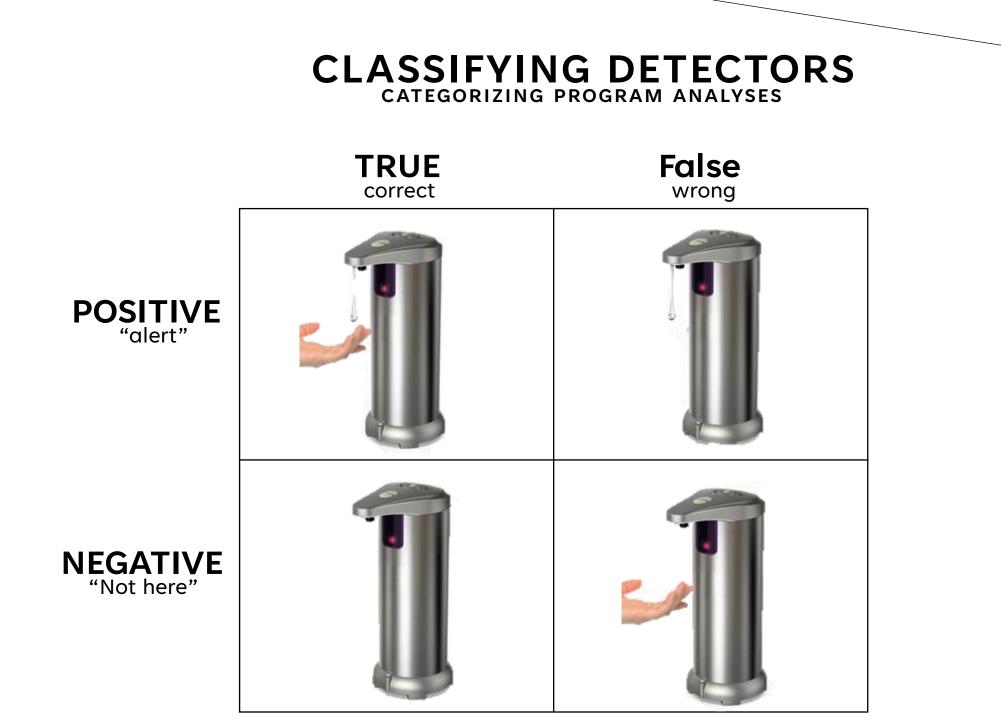
Soundness / Completeness

CLASSIFYING DETECTORS CATEGORIZING PROGRAM ANALYSES

Abstractly: an analysis is a system to detect a phenomenon

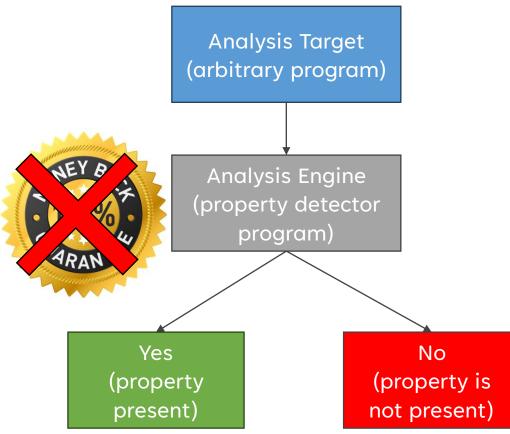


A hand detector: when hand detected, emit soap



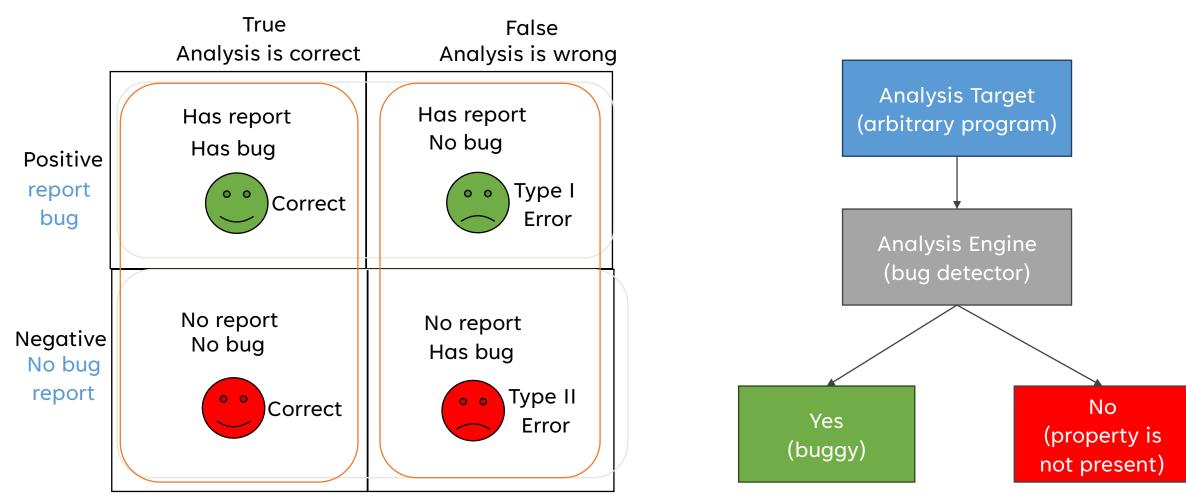
TYPES OF ANALYSIS CATEGORIZING PROGRAM ANALYSES

In order to determine the properties of a given program analysis, let's frame it as a detector



Note: we can detect bad behavior or good behavior

CLASSIFYING ERRORS CATEGORIZING PROGRAM ANALYSES



TODAY'S ROADMAP

Decidability

The Halting Problem

Categorizing Program Analyses

Soundness / Completeness

GUARANTEES OF IMPERFECT ANALYSES

Consistency / Reliability super important for users We'd like to limit the <u>kinds</u> of errors we report

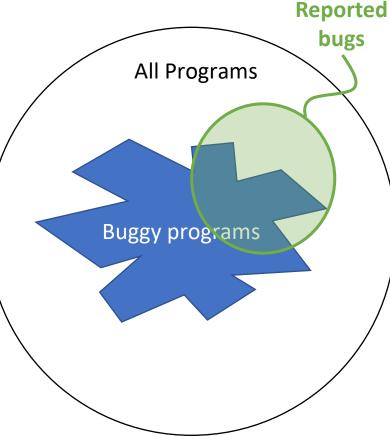
We can choose which type of bug report error to avoid

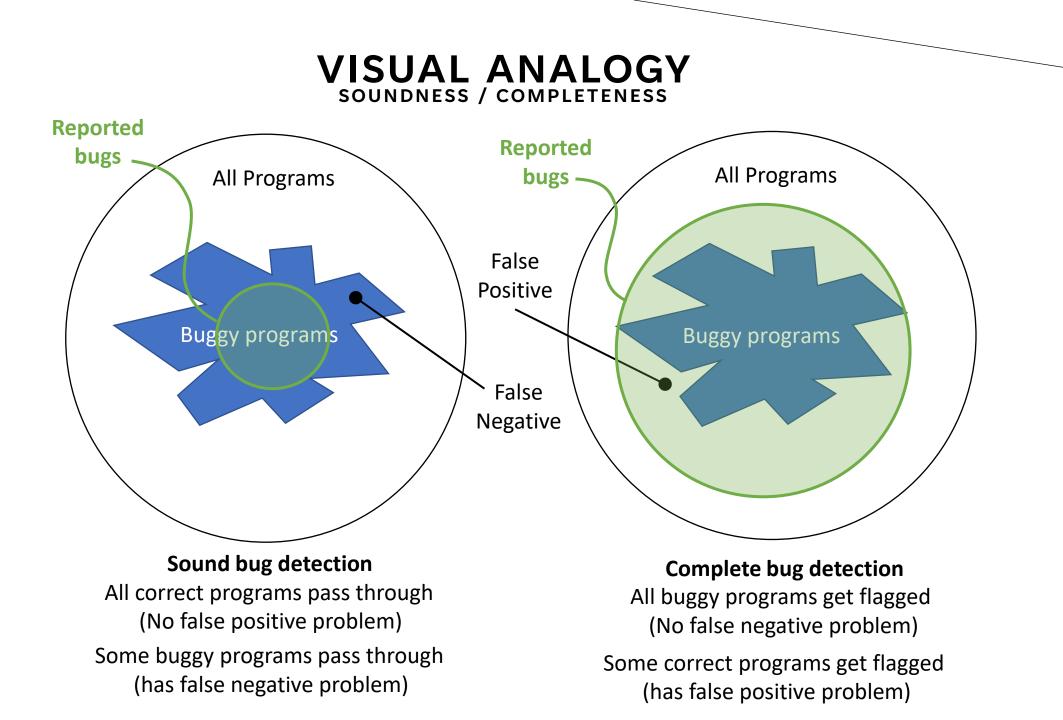
- Soundness: No false positives
- Completeness: No false negatives

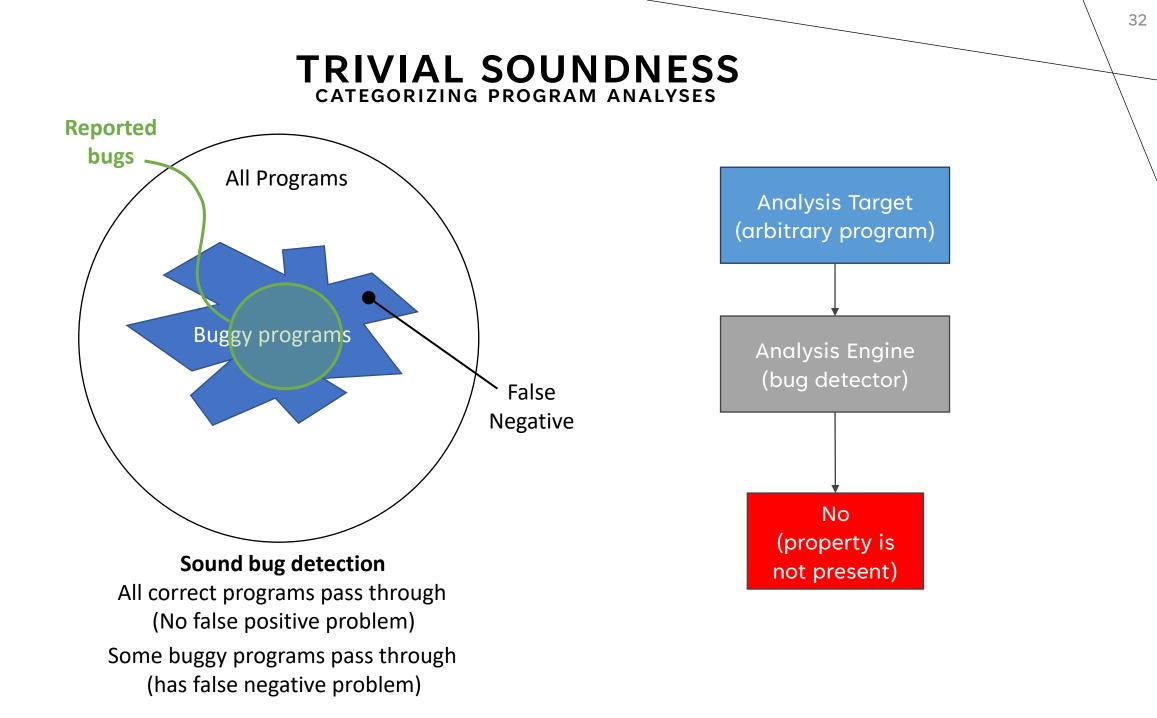


Imagine the universe of all programs is contained in a circle

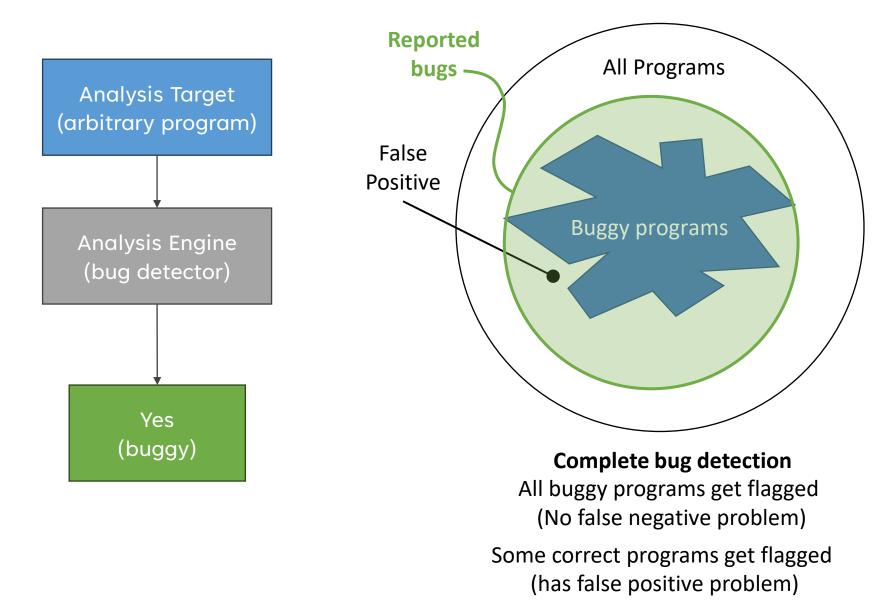
- You can draw a circle around the programs you report as buggy
- The actual buggy programs occupy a jagged region







TRIVIAL COMPLETENESS CATEGORIZING PROGRAM ANALYSES



33

BEYOND ALL-OR-NOTHING SOUNDNESS / COMPLETENESS

As you can imagine, soundness and completeness are not the full story

- Guarantees are nice, but we want legitimately useful analyses!
- Many practical analyses are neither sound nor complete

STATIC VS DYNAMIC ANALYSIS

One distinction in analysis is how the analysis treats the target

- Static analysis Operates without running the program
- Dynamic analysis Operates with running the program



ANALYSIS METHOD VS ERRORS

SOUNDNESS / COMPLETENESS

It's natural to consider the types of compromises of each analysis method

- Static analysis
 - Often builds a model of the program, makes inferences on that model
 - Tends to make completeness easier
 - Scalability concerns for large programs
- Dynamic analysis
 - Often performs the analysis by straight up running the program, observing behavior
 - Tends to make soundness easier
 - Coverage problems



ABOUT COVERAGE SOUNDNESS / COMPLETENESS

```
int f(bool b) {
    Obj * o = null;
    int v = 2;
    if (b) {
        o = new Obj ();
        v = rand_int();
    }
    if (v == 2) {
            o->setInvalid()
    }
    return o->property();
}
```

```
Line coverage
```

Branch coverage

Path coverage

LECTURE END

Summary:

- Decidability
- Computational Theory
- Categorizing analysis

